

# NCERT Solutions Class 10 Maths

## Chapter 6: Triangles

### Exercise 6.2

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#### Document Information:

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**Quick Summary:** In NCERT Solutions Class 10 Maths Chapter 6 Exercise 6.2, students learn the fundamental concepts of similarity of triangles through the Basic Proportionality Theorem and its applications. This exercise covers parallel lines in triangles, proportional segments, and the converse of Thales' theorem, which are essential topics for CBSE Class 10 board exams and form the foundation for advanced geometry concepts.

#### Key Takeaways:

- Basic Proportionality Theorem (Thales): If a line is parallel to one side of a triangle, then it divides the other two sides proportionally:  $(AD)/(DB) = (AE)/(EC)$
- Converse of Basic Proportionality Theorem: If a line divides two sides of a triangle proportionally, then it is parallel to the third side
- Applications in finding unknown lengths and proving parallelism in triangular figures
- Step-by-step solutions for all 10 questions with detailed explanations and figure references for better understanding

## Complete Solutions

### Question 1

#### QUESTION

In Fig. 6.17, (i) and (ii),  $DE \parallel BC$ . Find EC in (i) and AD in (ii).

#### SOLUTION

Since , in both figures we have similar triangles . So,

##### (I) FINDING EC

On side : and . So

On side : and is unknown, so

Using similarity,

Now, , so

##### (II) FINDING AD

On side : and . Hence

On side : and is unknown, say . Then

Using similarity,

Simplify the right-hand side:

So,

Thus

#### ANSWER

(i)  $2\sqrt{3}\text{ cm}$

(ii)  $2.4\sqrt{3}\text{ cm}$

## Question 2

### QUESTION

E and F are points on the sides PQ and PR respectively of a  $\triangle PQR$ . For each of the following cases, state whether  $EF \parallel QR$ :

1. PE = 3.9 cm, EQ = 3 cm, PF = 3.6 cm and FR = 2.4 cm
2. PE = 4 cm, QE = 4.5 cm, PF = 8 cm and RF = 9 cm
3. PQ = 1.28 cm, PR = 2.56 cm, PE = 0.18 cm and PF = 0.36 cm

### SOLUTION

**Concept used:** Converse of Basic Proportionality Theorem (Thales' theorem).

If a line through the sides and of cuts them at points E and F such that

then . If the ratios are not equal, then is *not* parallel to .

(I) PE = 3.9 CM, EQ = 3 CM, PF = 3.6 CM, FR = 2.4 CM

First find full side lengths:

Compute the ratios:

Clearly,

**Conclusion:** The ratios are not equal, so is **not parallel** to . Answer: **No**.

(II) PE = 4 CM, QE = 4.5 CM, PF = 8 CM, RF = 9 CM

Find full side lengths:

Compute ratios:

So,

**Conclusion:** Ratios are equal, so by converse of BPT, . Answer: **Yes**.

(III) PQ = 1.28 CM, PR = 2.56 CM, PE = 0.18 CM, PF = 0.36 CM

Here entire side lengths are already given: , .

Compute the ratios:

So,

**Conclusion:** Ratios are equal, so . Answer: **Yes**.

### ANSWER

(i) No

(ii) Yes

(iii) Yes

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### Question 3

#### QUESTION

In Fig. 6.18, if  $LM \parallel CB$  and  $LN \parallel CD$ , prove that

$$\frac{AM}{AB} = \frac{AN}{AD}.$$

#### SOLUTION

**Given:** In Fig. 6.18,  $LM \parallel CB$  and  $LN \parallel CD$ .

##### 1. USE $LM \parallel CB$

Consider  $\triangle ALM$  and  $\triangle ABC$  with points  $M$  on  $AB$  and  $L$  on  $AC$ , and  $LM \parallel CB$ .

Then,

$\angle AML = \angle ABC$  (corresponding angles)

$\angle ALM = \angle ACB$  (corresponding angles)

So,  $\triangle ALM \sim \triangle ABC$  (AA similarity).

From similarity, corresponding sides are proportional:

##### 2. USE $LN \parallel CD$

Now consider  $\triangle ALN$  and  $\triangle ADC$  with points  $N$  on  $AD$  and  $L$  on  $AC$ , and  $LN \parallel CD$ .

Then,

$\angle ALN = \angle ADC$  (corresponding angles)

$\angle ALN = \angle ADC$  (corresponding angles)

So,  $\triangle ALN \sim \triangle ADC$  (AA similarity).

Again, corresponding sides are proportional:

##### 3. COMPARE THE TWO RATIOS

From (1):

From (2):

Since both are equal to  $\frac{AL}{AC}$ , we get

**Hence proved.**

#### ANSWER

$$\frac{AM}{AB} = \frac{AN}{AD}$$

## Question 4

### QUESTION

In Fig. 6.19,  $DE \parallel AC$  and  $DF \parallel AE$ . Prove that

$$(BF)/(FE) = (BE)/(EC).$$

### SOLUTION

**Given:** In  $\triangle ABC$ , points  $D$  and  $E$  lie on  $AB$  and  $AC$  respectively. Lines  $DE$  and  $DF$  are drawn so that  $DE \parallel AC$  and  $DF \parallel AE$ .

**To prove:**  $(BF)/(FE) = (BE)/(EC)$ .

#### STEP 1: USE SIMILARITY IN $\triangle ABC$

Since  $DE \parallel AC$  and  $D$  is on  $AB$ ,  $E$  is on  $AC$ , we have:

So the corresponding sides are proportional:

#### STEP 2: USE SIMILARITY IN $\triangle ABE$

Since  $DF \parallel AE$  and  $D$  is on  $AB$ ,  $F$  is on  $BE$ , we have:

Thus,

#### STEP 3: RELATE AND USING (1) AND (2)

From (1) and (2), the common ratio is  $\frac{BD}{DA}$ . Hence,

So,

#### STEP 4: EXPRESS SEGMENTS ON $BE$

Points  $D$ ,  $F$ , and  $E$  lie on the same straight line in that order, so:

From (3):

Substitute :

But , so:

Comparing with the previous expression:

Cancel from both sides:

#### STEP 5: FORM THE REQUIRED RATIO

Divide both sides by (non-zero):

**Hence proved.**

**ANSWER**

$$(BF)/(FE) = (BE)/(EC)$$

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## Question 5

### QUESTION

In Fig. 6.20,  $DE \parallel OQ$  and  $DF \parallel OR$ . Show that  $EF \parallel QR$ .

### SOLUTION

**Given:** In  $\triangle OQR$ , point  $E$  lies on  $OQ$ . On segments  $OQ$  and  $OR$ , points  $D$  and  $F$  are taken, and on  $QR$  point  $R$  is taken such that  $DE \parallel OQ$  and  $DF \parallel OR$ .

**To prove:**  $EF \parallel QR$ .

#### STEP 1: USE $DE \parallel OQ$ IN $\triangle OQR$

In  $\triangle OQR$ , we have  $DE \parallel OQ$ , on  $OQ$  and  $OR$ .

So, (AA similarity).

Thus, corresponding sides are proportional:

#### STEP 2: USE $DF \parallel OR$ IN $\triangle OQR$

In  $\triangle OQR$ , we have  $DF \parallel OR$ , on  $OQ$  and  $OR$ .

So, (AA similarity).

Hence,

#### STEP 3: COMPARE THE RATIOS

From (1) and (2):

Thus,

#### STEP 4: APPLY CONVERSE OF BASIC PROPORTIONALITY THEOREM

In  $\triangle OQR$ , points  $E$  and  $F$  lie on  $OQ$  and  $OR$  respectively, and we have shown that

By the **Converse of Basic Proportionality Theorem**, if a line through two sides of a triangle divides them in the same ratio, that line is parallel to the third side.

Therefore, line  $EF$  is parallel to  $QR$ .

**Hence proved that  $EF \parallel QR$ .**

### ANSWER

$EF \parallel QR$

## Question 6

### QUESTION

In Fig. 6.21, A, B and C are points on OP, OQ and OR respectively such that  $AB \parallel PQ$  and  $AC \parallel PR$ . Show that  $BC \parallel QR$ .

### SOLUTION

**Given:** In  $\triangle OQR$ , point A lies inside the triangle. Points B and C lie on segments OQ and OR respectively, such that  $AB \parallel PQ$  and  $AC \parallel PR$ .

**To prove:**  $BC \parallel QR$ .

#### STEP 1: USE $AB \parallel PQ$ IN $\triangle OQR$

In  $\triangle OQR$ , with A on OQ, B on OR and  $AB \parallel QR$ , by the Basic Proportionality Theorem,

#### STEP 2: USE $AC \parallel PR$ IN $\triangle OQR$

In  $\triangle OQR$ , with A on OQ, C on OR and  $AC \parallel PR$ , again by the Basic Proportionality Theorem,

#### STEP 3: RELATE THE RATIOS ON OQ AND OR

From (1) and (2), the left-hand sides are equal, so

#### STEP 4: APPLY THE CONVERSE OF BASIC PROPORTIONALITY THEOREM IN $\triangle OQR$

In  $\triangle OQR$ , points A and C lie on OQ and OR respectively, and from (3) we have

By the **converse of the Basic Proportionality Theorem**, if a line cuts two sides of a triangle in the same ratio, then that line is parallel to the third side.

Therefore, the line joining A and C is parallel to  $QR$ .

**Hence proved.**

### ANSWER

$BC \parallel QR$

## Question 7

### QUESTION

Using Theorem 6.1, prove that a line drawn through the mid-point of one side of a triangle parallel to another side bisects the third side. (Recall that you have proved it in Class IX).

### SOLUTION

**Statement to prove:** In a triangle, a line drawn through the mid-point of one side and parallel to another side bisects the third side.

### CONSTRUCTION AND NOTATION

Let  $\triangle ABC$  be any triangle. Let  $M$  be the mid-point of side  $AB$ , so

Through  $M$ , draw a line parallel to  $BC$  which meets  $AC$  at  $N$ . We must prove that  $N$  is the mid-point of  $AC$ , i.e.  $AN = NC$ .

### USE THEOREM 6.1 (BASIC PROPORTIONALITY THEOREM)

**Theorem 6.1:** If a line is drawn parallel to one side of a triangle to intersect the other two sides, then it divides those two sides in the same ratio.

Here, in  $\triangle ABC$ , line  $MN$  is drawn parallel to  $BC$ , meeting  $AB$  at  $M$  and  $AC$  at  $N$ . So, by Theorem 6.1:

### USE THE MID-POINT CONDITION

Since  $M$  is the mid-point of  $AB$ , we have

Substitute (2) into (1):

This implies

### CONCLUSION

Thus, point  $N$  divides side  $AC$  into two equal parts, i.e.  $N$  is the mid-point of  $AC$ .

Therefore, a line drawn through the mid-point of one side of a triangle and parallel to another side bisects the third side.

### ANSWER

A line drawn through the mid-point of one side of a triangle and parallel to another side bisects the third side.

## Question 8

### QUESTION

Using Theorem 6.2, prove that the line joining the mid-points of any two sides of a triangle is parallel to the third side. (Recall that you have done it in Class IX).

### SOLUTION

**Statement to prove:** In any triangle, the line segment joining the mid-points of two sides is parallel to the third side.

### CONSTRUCTION / NOTATION

Consider .

Let be the mid-point of side and be the mid-point of side .

So,

### STEP 1: EXPRESS THE EQUALITIES AS RATIOS

Since is the mid-point of :

Since is the mid-point of :

Thus,

### STEP 2: USE THEOREM 6.2 (CONVERSE OF BASIC PROPORTIONALITY THEOREM)

**Theorem 6.2:** If a line intersects two sides of a triangle such that it divides those sides in the same ratio, then the line is parallel to the third side.

In , line segment cuts sides and at and respectively, and we have just shown

Therefore, by Theorem 6.2,

### CONCLUSION

The line joining the mid-points and of sides and is parallel to the third side . Hence, the line joining the mid-points of any two sides of a triangle is parallel to the third side.

### ANSWER

The line joining the mid-points of any two sides of a triangle is parallel to the third side.

## Question 9

### QUESTION

ABCD is a trapezium in which  $AB \parallel DC$  and its diagonals intersect each other at the point O. Show that

$$(AO)/(BO) = (CO)/(DO).$$

### SOLUTION

**Goal:** Prove that the point of intersection of the diagonals of a trapezium (with one pair of parallel sides) divides the two diagonals in the same ratio, i.e. .

The hint suggests a construction, but the result can be proved neatly using coordinate geometry, keeping the geometry of a trapezium intact.

#### STEP 1: PLACE THE TRAPEZIUM ON THE COORDINATE PLANE

Since  $AB \parallel DC$ , we can place the trapezium so that these bases are horizontal.

- Let  $A$  and  $B$  be  $(a, b)$  and  $(c, b)$ , for some  $a < c$ .
- Let  $D$  and  $C$  be  $(d, e)$  and  $(f, e)$ , for some  $d < f$  and any real  $e$  (in general).

Thus,  $AB$  is the segment from  $(a, b)$  to  $(c, b)$  and  $DC$  is the segment from  $(d, e)$  to  $(f, e)$ ; clearly  $AB \parallel DC$ .

#### STEP 2: FIND THE COORDINATES OF O, THE INTERSECTION OF DIAGONALS

Diagonal  $AC$  joins  $(a, b)$  and  $(f, e)$ . A general point on  $AC$  can be written in parametric form as:

Diagonal  $BD$  joins  $(c, b)$  and  $(d, e)$ . A general point on  $BD$  can be written as:

At the intersection point  $O$ , these coordinates must be equal, so:

Since  $(x, y)$  is the same point, from we get

Thus, the same parameter (say  $t$ ) describes  $O$  on both diagonals:

#### STEP 3: EXPRESS THE RATIOS ALONG EACH DIAGONAL

On diagonal  $AC$ , parameter  $t$  tells us how  $O$  divides  $AC$ :

- From  $A$  to  $O$  is a fraction  $t$  of  $AC$ , and from  $O$  to  $C$  is a fraction  $1-t$ .

Therefore,

On diagonal  $BD$ , parameter  $t$  again measures the fraction from  $B$  to  $D$ :

- From  $B$  to  $O$  is a fraction  $t$  of  $BD$ .
- From  $O$  to  $D$  is a fraction  $1-t$  of  $BD$ .

Hence,

#### STEP 4: COMPARE THE RATIOS AND DERIVE THE REQUIRED RESULT

From (1) and (2),

This implies

Divide both sides by (non-zero since O lies strictly between the endpoints on each diagonal):

Thus, we have shown

**Conclusion:** In a trapezium with one pair of parallel sides, the diagonals intersect each other in such a way that they are divided in the same ratio, as required.

#### ANSWER

Through O, draw a line parallel to DC, intersecting AD and BC at E and F respectively.

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## Question 10

### QUESTION

The diagonals of a quadrilateral ABCD intersect each other at the point O such that

$$(AO)/(BO) = (CO)/(DO).$$

Show that ABCD is a trapezium.

### SOLUTION

**Given:** In quadrilateral ABCD, diagonals AC and BD intersect at O and

**To prove:** is a trapezium, i.e. one pair of opposite sides is parallel (here we shall show ).

#### STEP 1: CONSIDER TRIANGLES AOB AND COD

Look at and :

- They share a pair of vertical angles: (vertically opposite angles).
- We are given the ratio of the sides around these angles:

**So we have:** an equality of the ratios of the two sides including the angle and the included angle is equal.

Therefore, by the **SAS similarity criterion**,

#### STEP 2: USE SIMILARITY TO RELATE ANGLES ON AB AND CD

From the similarity , corresponding angles are equal. With the correspondence , , , we get in particular:

#### STEP 3: CONCLUDE THAT AB IS PARALLEL TO CD

Note that:

- and lie on lines AB and CD with the transversal BD.
- and lie on lines AB and CD with the transversal AC.

Since these pairs of corresponding angles are equal, they are **alternate interior angles**. Hence,

**Conclusion:** One pair of opposite sides of quadrilateral ABCD is parallel, so ABCD is a **trapezium** with .

### ANSWER

ABCD is a trapezium with AB \parallel CD.

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## Key Formulas

### Important Formulas for Exercise 6.2

Formula / Concept	Description
Similarity of Triangles	Two triangles are similar if their corresponding angles are equal and their corresponding sides are in the same ratio.
Basic Proportionality Theorem (BPT) or Thales Theorem	If a line is drawn parallel to one side of a triangle to intersect the other two sides at distinct points, then the other two sides are divided in the same ratio.
If in a $\triangle ABC$ , $DE \parallel BC$ , then $(AD)/(DB) = (AE)/(EC)$	This is the mathematical representation of the Basic Proportionality Theorem.
Converse of Basic Proportionality Theorem	If a line divides any two sides of a triangle in the same ratio, then the line is parallel to the third side.
If in a $\triangle ABC$ , $(AD)/(DB) = (AE)/(EC)$ , then $DE \parallel BC$	This is the mathematical representation of the converse of the Basic Proportionality Theorem.
Pythagoras Theorem	In a right-angled triangle, the square of the hypotenuse (the side opposite the right angle) is equal to the sum of the squares of the other two sides.
$c^2 = a^2 + b^2$	Where $c$ is the length of the hypotenuse and $a$ and $b$ are the lengths of the other two sides of a right-angled triangle.
Converse of Pythagoras Theorem	In a triangle, if the square of the length of the longest side is equal to the sum of the squares of the other two sides, then the triangle is a right-angled triangle.
If in a $\triangle ABC$ , $AC^2 = AB^2 + BC^2$ , then $\angle B = 90^\circ$	This is the mathematical representation of the converse of the Pythagoras Theorem.

## Top FAQs

### Q1. How many questions are included in NCERT Solutions for Class 10 Maths Chapter 6 Triangles Exercise 6.2 for CBSE board exam 2025-26?

NCERT Solutions for Class 10 Maths Chapter 6 Triangles Exercise 6.2 contains exactly 10 questions. These questions are primarily based on the Basic Proportionality Theorem (Thales Theorem) and its converse, which are crucial topics for CBSE board exam 2025-26. All 10 questions with step by step solutions are available for free PDF download on various educational platforms.

### Q2. Where can I download free PDF of NCERT Solutions for Class 10 Maths Chapter 6 Triangles Exercise 6.2 with step by step solutions?

You can download the free PDF of NCERT Solutions for Class 10 Maths Chapter 6 Triangles Exercise 6.2 from the official NCERT website, CBSE academic portal, and trusted educational websites. These PDFs contain detailed step by step solutions for all 10 questions and are updated according to the CBSE syllabus 2025-26. The solutions are prepared by expert mathematics teachers to help students prepare effectively for board exams.

### Q3. How many marks does Chapter 6 Triangles carry in CBSE Class 10 Maths board exam 2025-26 and what is the weightage of Exercise 6.2?

Chapter 6 Triangles falls under Unit V - Geometry, which carries approximately 6 marks in the CBSE Class 10 Maths board exam 2025-26. Exercise 6.2 focuses on the Basic Proportionality Theorem and similarity concepts, which are frequently asked in the board exam. Students should thoroughly practice NCERT Solutions for Class 10 Maths Chapter 6 Exercise 6.2 to score well in geometry-based questions.

### Q4. Which is the most difficult question in NCERT Solutions for Class 10 Maths Chapter 6 Triangles Exercise 6.2 for CBSE board exam 2025-26?

Questions 9 and 10 in NCERT Solutions for Class 10 Maths Chapter 6 Triangles Exercise 6.2 are considered the most challenging by students. These questions require application of the Basic Proportionality Theorem along with construction and proof-based problems. Students are advised to practice these questions with step by step solutions multiple times and refer to free PDF downloads for detailed explanations.

### Q5. What is the Basic Proportionality Theorem (Thales Theorem) explained in NCERT Solutions for Class 10 Maths Chapter 6 Triangles Exercise 6.2?

The Basic Proportionality Theorem (Thales Theorem) in NCERT Class 10 Maths Chapter 6 states that if a line is drawn parallel to one side of a triangle intersecting the other two sides, then it divides those sides in the same ratio. Exercise 6.2 contains 10 questions specifically designed to help students understand and apply this theorem. This concept is crucial for CBSE board exam 2025-26 and forms the foundation for understanding similarity of triangles.

## More Exercises

Visit all exercises from Chapter 6:

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